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Expand  $\sin(x)$  about  $x=0$  up to a ninth order.

> `taylor(sin(x),x=0,9);`

$$x - \frac{1}{6}x^3 + \frac{1}{120}x^5 - \frac{1}{5040}x^7 + O(x^9)$$

Expand  $\ln(x)$  about  $x=1$  up to a 5th order.

> `taylor(ln(x),x=1,5);`

$$x - 1 - \frac{1}{2}(x - 1)^2 + \frac{1}{3}(x - 1)^3 - \frac{1}{4}(x - 1)^4 + O((x - 1)^5)$$

Expand  $\exp(x)$  about  $x=0$  up to 4th order.

> `taylor(exp(x),x=0,4);`

$$1 + x + \frac{1}{2}x^2 + \frac{1}{6}x^3 + O(x^4)$$

>

taylor - Taylor series expansion

Calling Sequence

`taylor(expr, eq/nm, n)`

Parameters

`expr` - expression

`eq/nm` - equation (such as  $x = a$ ) or name (such as  $x$ )

`n` - (optional) non-negative integer

Description

The function `taylor` computes the Taylor series expansion of `expr`, with respect to the variable `x`, about the point `a`, up to order `n`.

The `taylor` function is a restriction of the more general `series` function. See `series` for a complete explanation of the parameters.

If the result of the `series` function applied to the specified arguments is a Taylor series then this result is returned; otherwise, an error-return occurs.

Examples

> `taylor( exp(x), x=0, 4 );`

> `taylor( 1/x, x=1, 3 );`

Also refer to [http://faculty.uml.edu/mstick/Links/AMS\\_4\\_2000\\_paper\\_update.pdf](http://faculty.uml.edu/mstick/Links/AMS_4_2000_paper_update.pdf) (pages 24 and 25) for TI-89 implementation of Taylor and Maclaurin Series.