

MATH.2720 Introduction to Programming with MATLAB

Logical Variables and Programming Structures, Part 2

Loops

Sometimes you need to execute the same or similar commands a number of times. Loops are good for that purpose. **In case of emergency, you can terminate execution of a runaway program by hitting the Ctrl and c keys simultaneously.**

1. for loops

Create and run a script file with the following commands to see an example of how a `for` loop works. This script asks for a positive integer n as input and sums the integers from 1 to n . (How could you do this without using a `for` loop?)

```
n = input('Enter a positive integer ');
err = 0;
if n ~= abs(round(n)) % What is the purpose of this if-else structure?
    err = 1;
else
    intsum = 0;
    for i=1:n
        intsum = intsum + i;
    end % This ends the for loop
end % This ends the if-else structure
if err
    disp('You must enter a positive integer.')
else
    fprintf('The sum of the integers from 1 to %i is %i\n',n,intsum)
    % The %i format is for integers
end
```

The variables in a `for` loop can change in increments other than 1. For example, if you just want to sum the even integers from 2 to n you can replace the `for` loop in the previous example with

```
for i=2:2:n
    intsum = intsum + i;
end
```

You can also put a `for` loop inside another `for` loop. Below is an example of a script file that uses nested `for` loops to generate a square matrix A with entries $A_{ij} = i + j$.

```
n = input('Enter a positive integer: ');
A = zeros(n);
for i = 1:n
    for j = 1:n
        A(i,j)=i+j;
    end
end
disp(A)
```

2. while loops

Create and run a script file with the following commands to see an example of how a `while` loop works. This script asks for a positive number a as input and estimates \sqrt{a} using Newton's Method. Newton's Method applied to the function $f(x) = x^2 - a$ produces a sequence of numbers x_1, x_2, x_3, \dots that converges to a root of f . Starting with an initial estimate x_1 , successive estimates are calculated using the formula $x_{n+1} = \frac{x_n}{2} + \frac{a}{2x_n}$.

```
a = input('Enter a positive number: ');
err = 0;
tolerance = 1.e-3;
if a<=0
    err=1;
else
    current_est = a/2;
    new_est = current_est/2 + a/(2*current_est);
    while abs(new_est - current_est) > tolerance
        current_est = new_est;
        new_est = current_est/2 + a/(2*current_est);
    end % ends while loop
end % ends if structure
if err
    disp('You must enter a positive number')
else
    fprintf('The square root of %g is approximately %7.3f \n',a,new_est)
end
```

Practice Problems.

1. Create a script file using the `switch-case` structure that asks for a student's quiz score (1 - 5) and assigns a letter grade according to the following table.

Score	5	4	3	2	1
Grade	A	B	C	D	F

2. Create a script file using a `for` loop that asks the user to input an odd positive integer n and calculates the sum $1 + 3 + 5 + \dots + n$.

3. Approximate the value of the sum $\sum_{n=1}^{\infty} \frac{1}{n^2}$ by computing a partial sum $\sum_{n=1}^N \frac{1}{n^2}$. Use a `while` loop that terminates when the difference between two successive approximations is less than 10^{-10} (1.e-10 in MATLAB notation).

Compare the value you obtain with the number $\pi^2/6$.