

# Electroanalytical Chemistry

## techniques covered to date

- Potentiometry – based on galvanic cell
- Controlled Potential Electrolysis – electrolytic
- Chronoamperometry – electrolytic cell
- Chronopotentiometry – electrolytic cell
- Coulometry (potential or current) - electrolytic
- Voltammetry (stirred & unstirred) - electrolytic
- DC Polarography – electrolytic cell

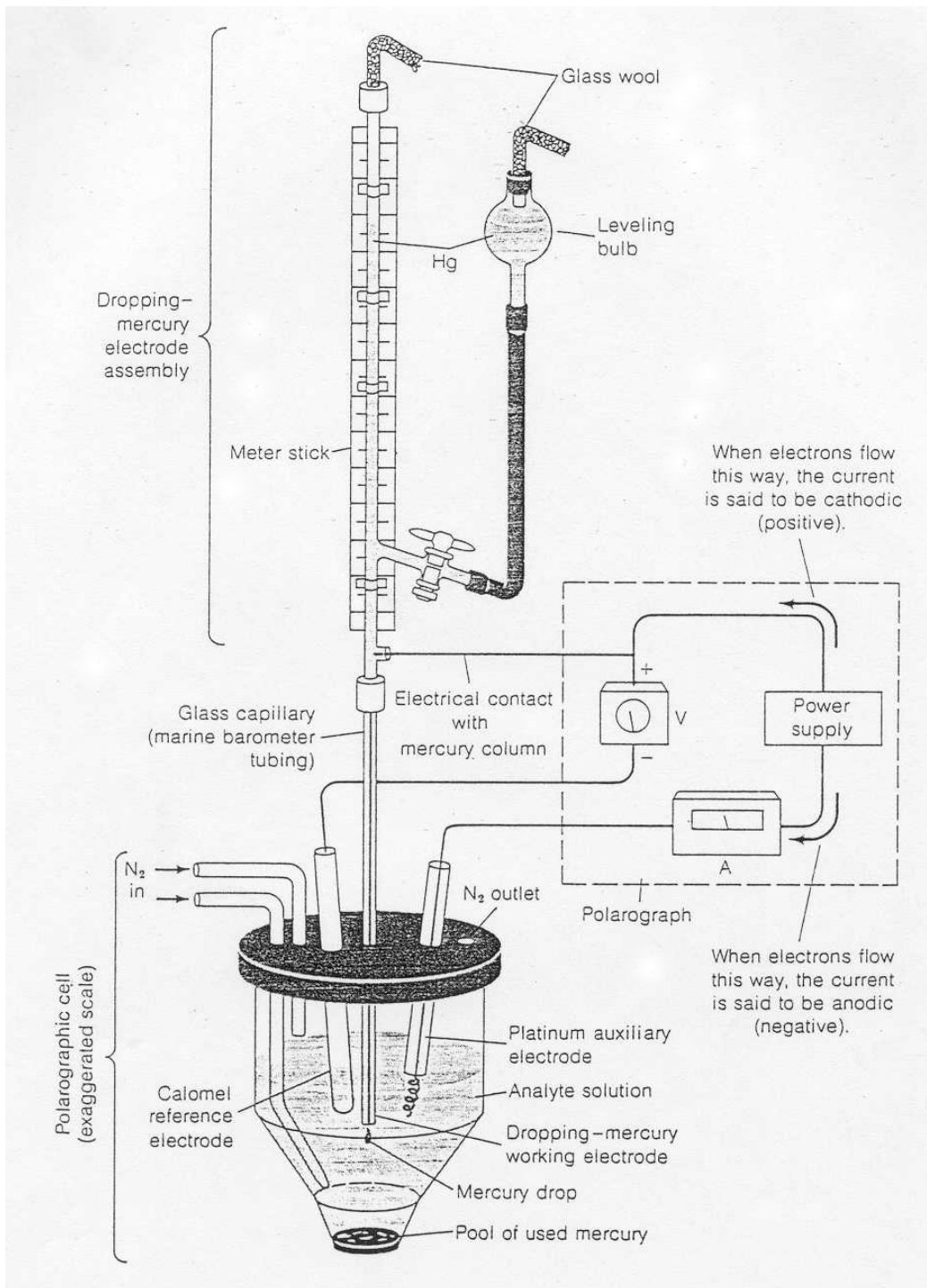
# Polarography (DC or direct current)

- Same as voltammetry in unstirred solution except, use Dropping Mercury Electrode (DME)
- Vary potential linearly with time
- Measure current vs time

## Theory

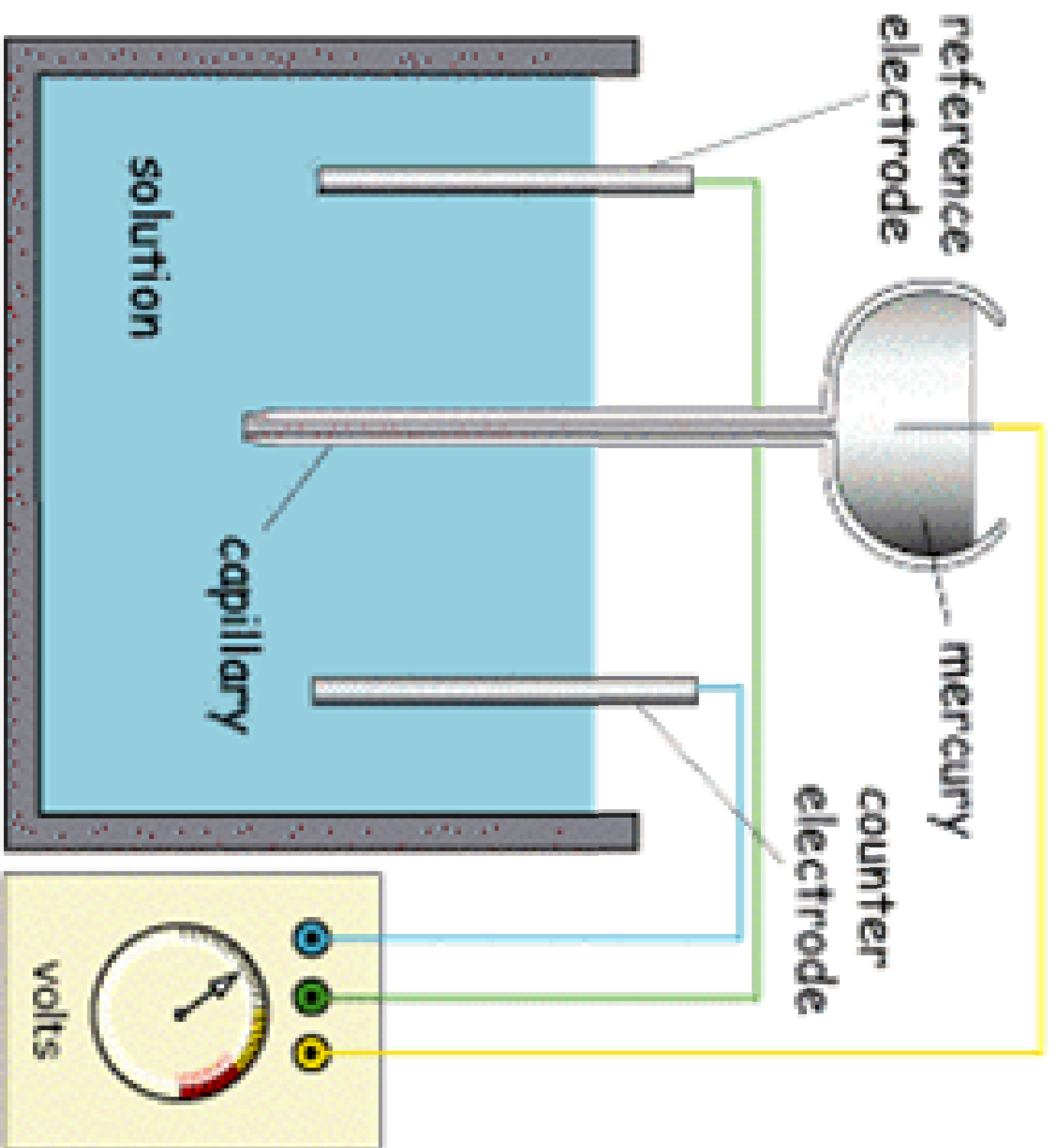
assume  $\text{Ox} + n e^- \leftrightarrow \text{Red}$

- both Ox & Red are soluble or Ox soluble & Red dissolves in mercury electrode
- reversible reaction (electrochemically)



Realistic diagram  
of a DME for  
polarography

Slow flow of Hg  
through tubing →  
drop forms, expands  
and falls off →  
new drop forms



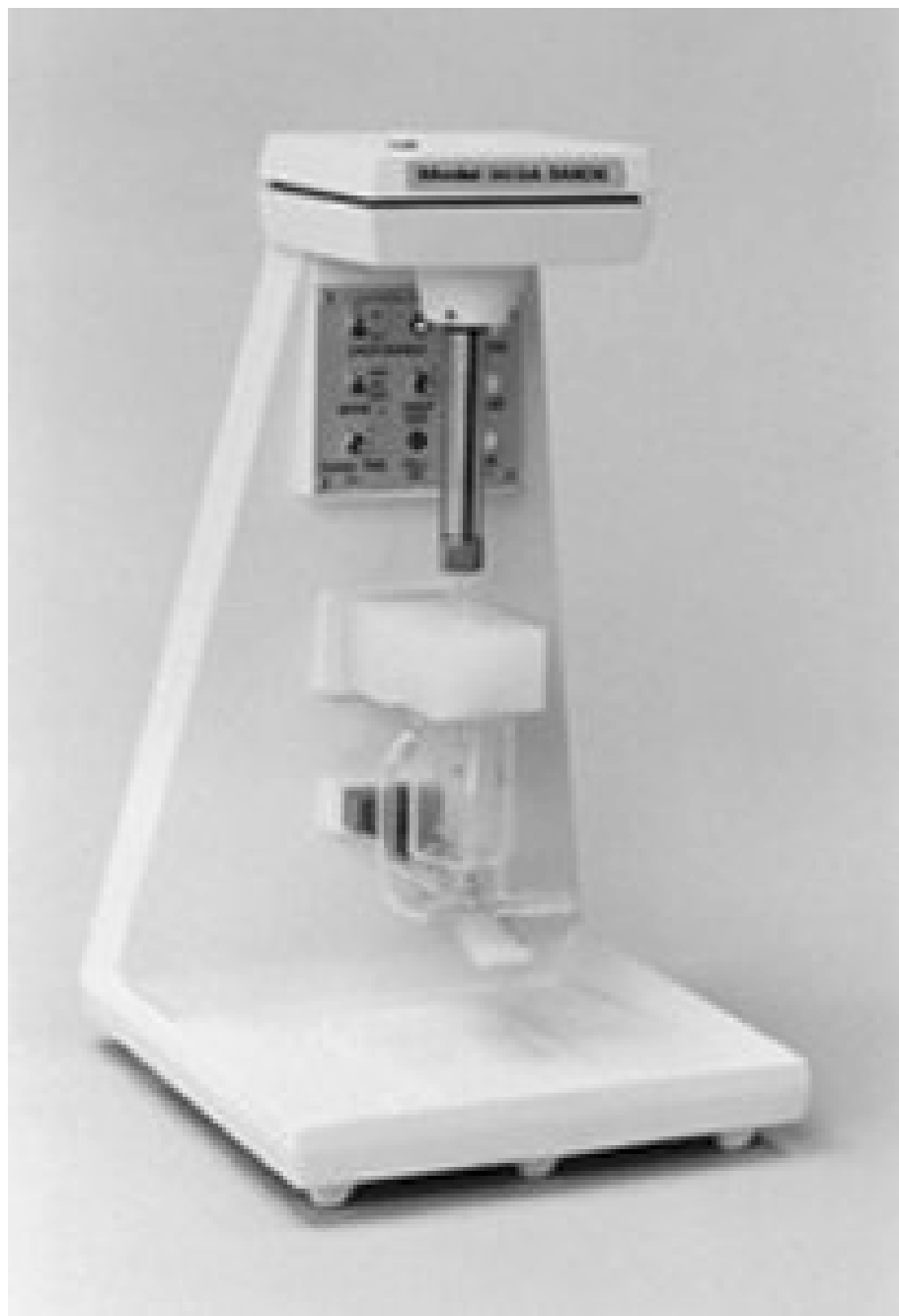
# Advantages of DME

- 1) A new electrode surface forms every few seconds preventing buildup of impurities or reaction products → clean surface
- 2) Metallic products dissolve or amalgamate with Hg leaving surface clean also
- 3) High hydrogen overvoltage allows more negative potentials than other electrodes
- 4) Expansion of drop area and decrease in diffusion limited current counteract each other

# Disadvantages of DME

- 1) Hg is easily oxidized which prevents the use of more positive (oxidizing) potentials
- 2) DME is cumbersome to set up and use
- 3) DME is fragile, not rugged
- 4) Hg is highly toxic & has measurable vapor pressure
- 5) Continual Hg dropping becomes costly
- 6) Hg must be highly pure
- 7) Hg can air oxidize and the oxide can clog the capillary tube where the drop forms

# Static Mercury Drop Electrode & Controlled Growth Electrode

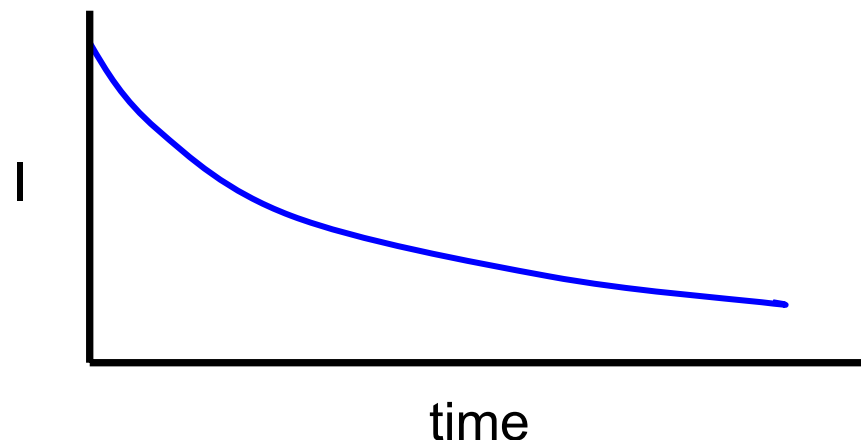


As drop forms:

- 1) Concentration polarization occurs at the electrode surface as described by Cottrell Eq.

$$I = n F A c_o \sqrt{\frac{D}{\pi t}}$$

The Cottrell equation



- 2) Size of drop increases  $\rightarrow$  area increases

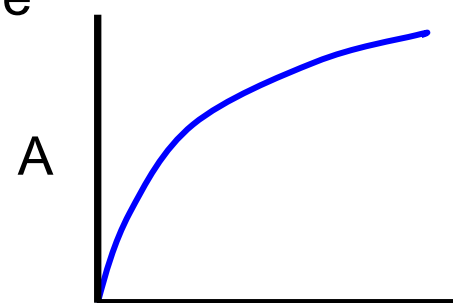
$$A = (4 \pi)^{1/2} \left[ \frac{3 \times 10^{-3}}{\rho_{\text{Hg}}} \right]^{2/3} (m t)^{2/3}$$

area

density of Hg

mass flow rate (mg/sec)

drop time



drop time = time for 1 drop

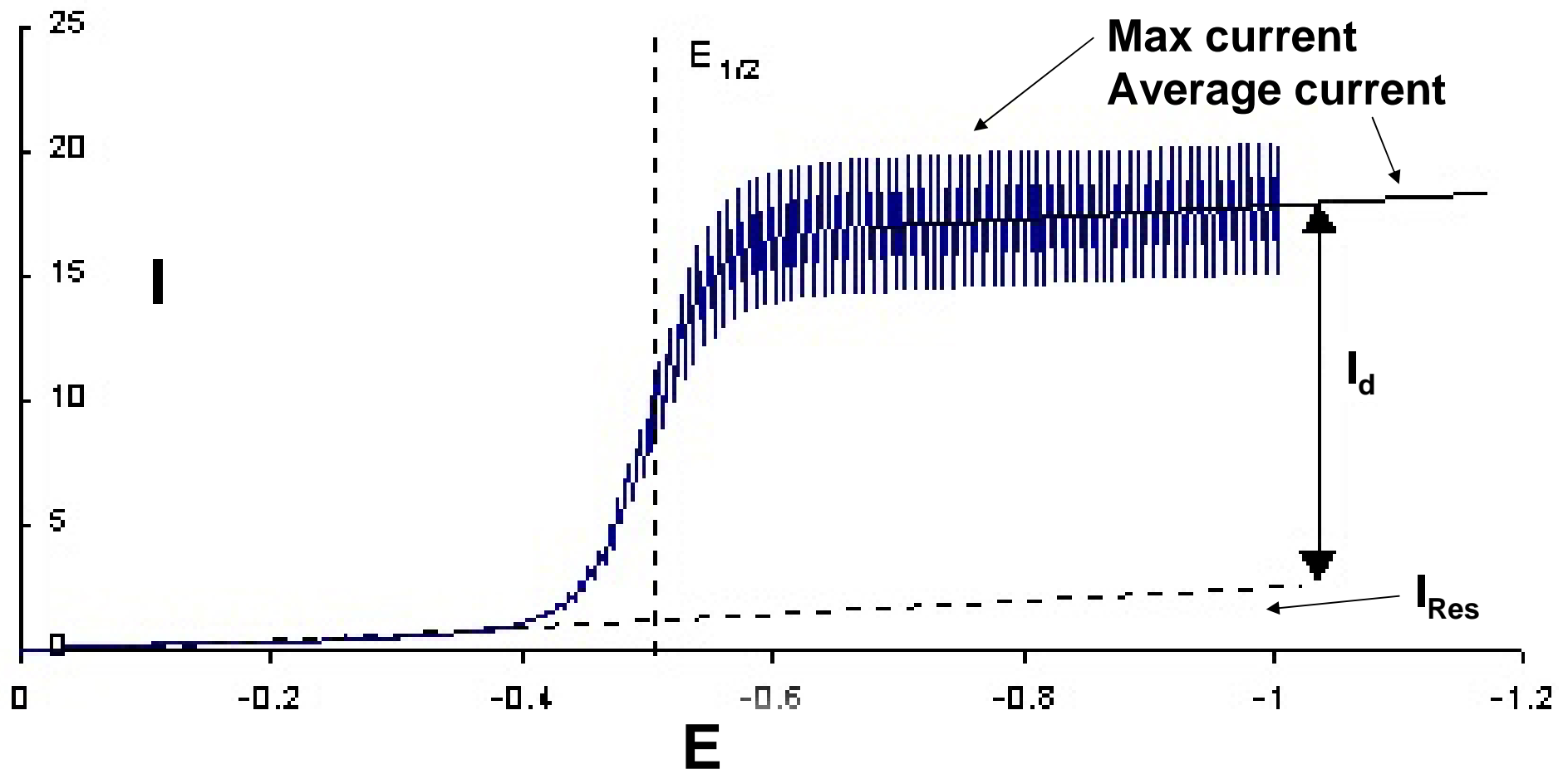


- The two effects, concentration polarization which decreases current, and the area increase which increases current, tend to cancel each other out
- Combining equations gives the Ilkovic Eq.

$$I = 708 n D^{1/2} m^{2/3} t^{2/3} C \quad \text{max current}$$

$$I = 607 n D^{1/2} m^{2/3} t^{2/3} C \quad \text{average current}$$

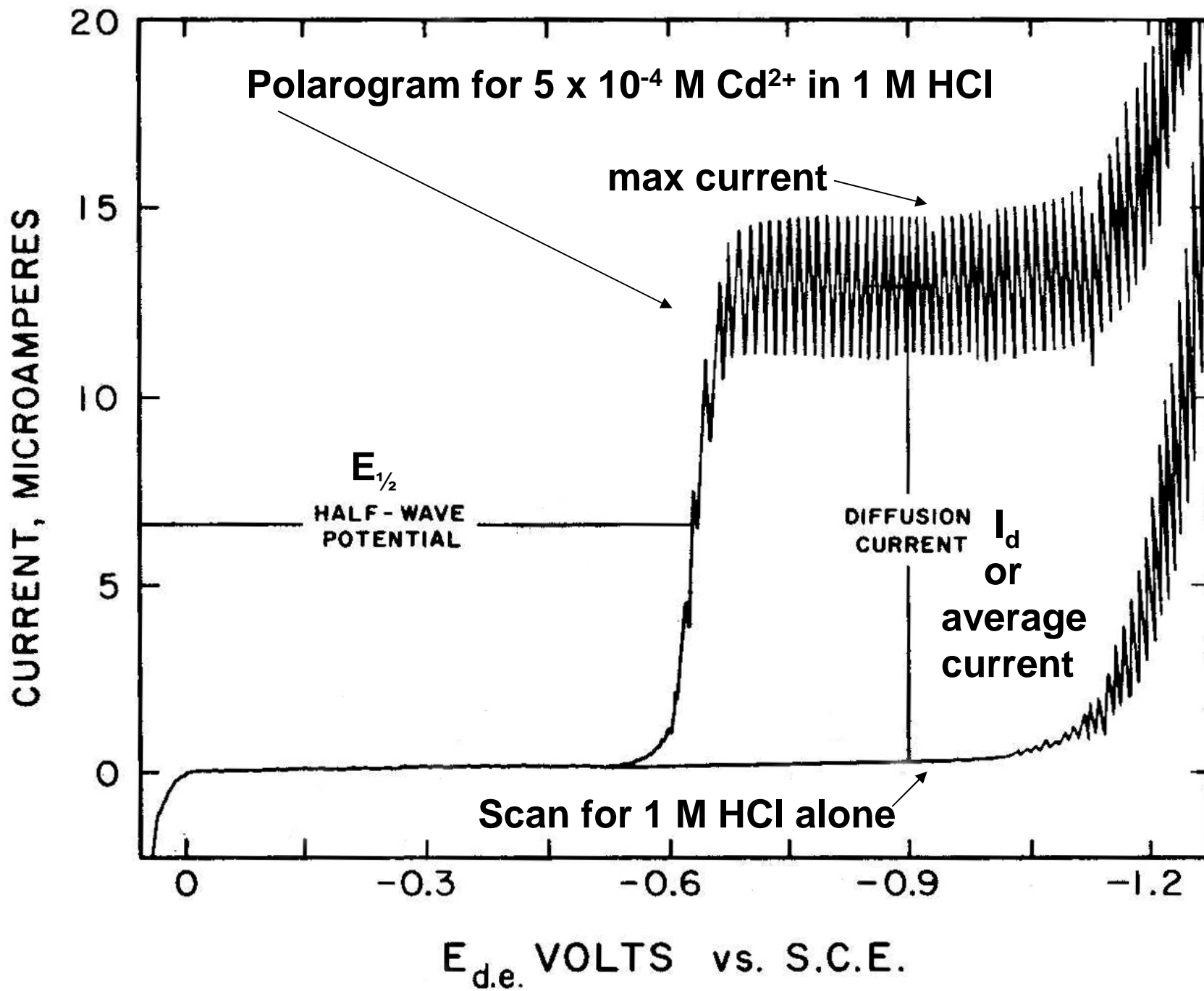
# Polarogram



Two name changes occur in polarography

$I_L$  the limiting current becomes  $I_d$  the diffusion current

$I_{Cap}$  the capacitive current is  $I_{Res}$  the residual current



## Remember for LSV

$$E_{\text{DME}} = E_{1/2} - \frac{RT}{nF} \ln \frac{(I_d - I)}{I}$$

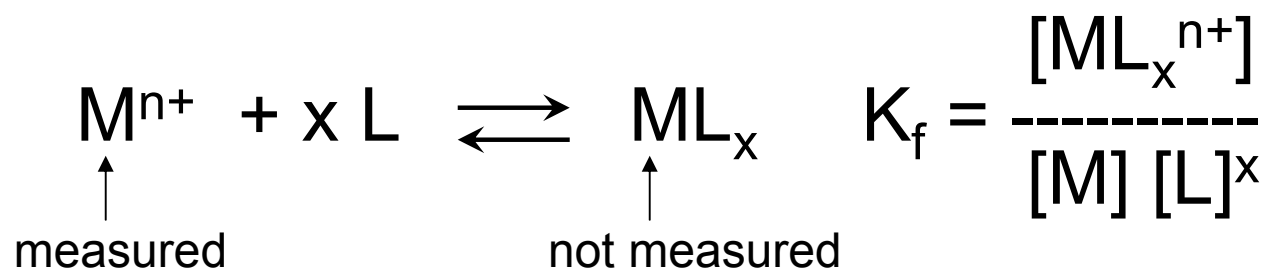
A plot of  $\log \frac{(I_d - I)}{I}$  vs.  $E$  yields a straight line

With slope of  $0.059/n$  if process is reversible

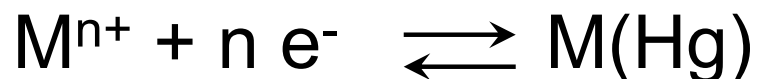
- This plot is used to establish reversibility & to determine “n”
- $E_{1/2}$  is characteristic of species reduced
- $I_d$  is used for quantitative analysis

## Effect of complexation on $E_{1/2}$ for metal ion reduction

- Electrochemical methods measure free ion
- Metals bound in complexes are not measured



- However, voltammetric methods, like polarography, actually remove metal ion from solution at the electrode surface



- Two effects 1) it takes more energy to do this  
2) it shifts equilibrium to left, releasing metal ion

- 1) Extra energy required to reduce metal from a complex results in an  $E_{1/2}$  that is more negative than  $E_{1/2}$  for metal ion alone

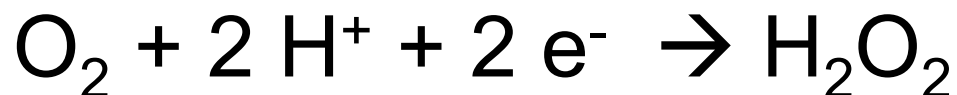
$$\Delta E_{1/2} = E_{1/2ML} - E_{1/2M}$$

Plot  $\Delta E_{1/2}$  vs.  $\ln C_L$  to get  $K$  &  $x$  for complex

- 2) Equilibrium shift caused by release of metal ion from complex can cause errors in analysis depending on complex kinetics

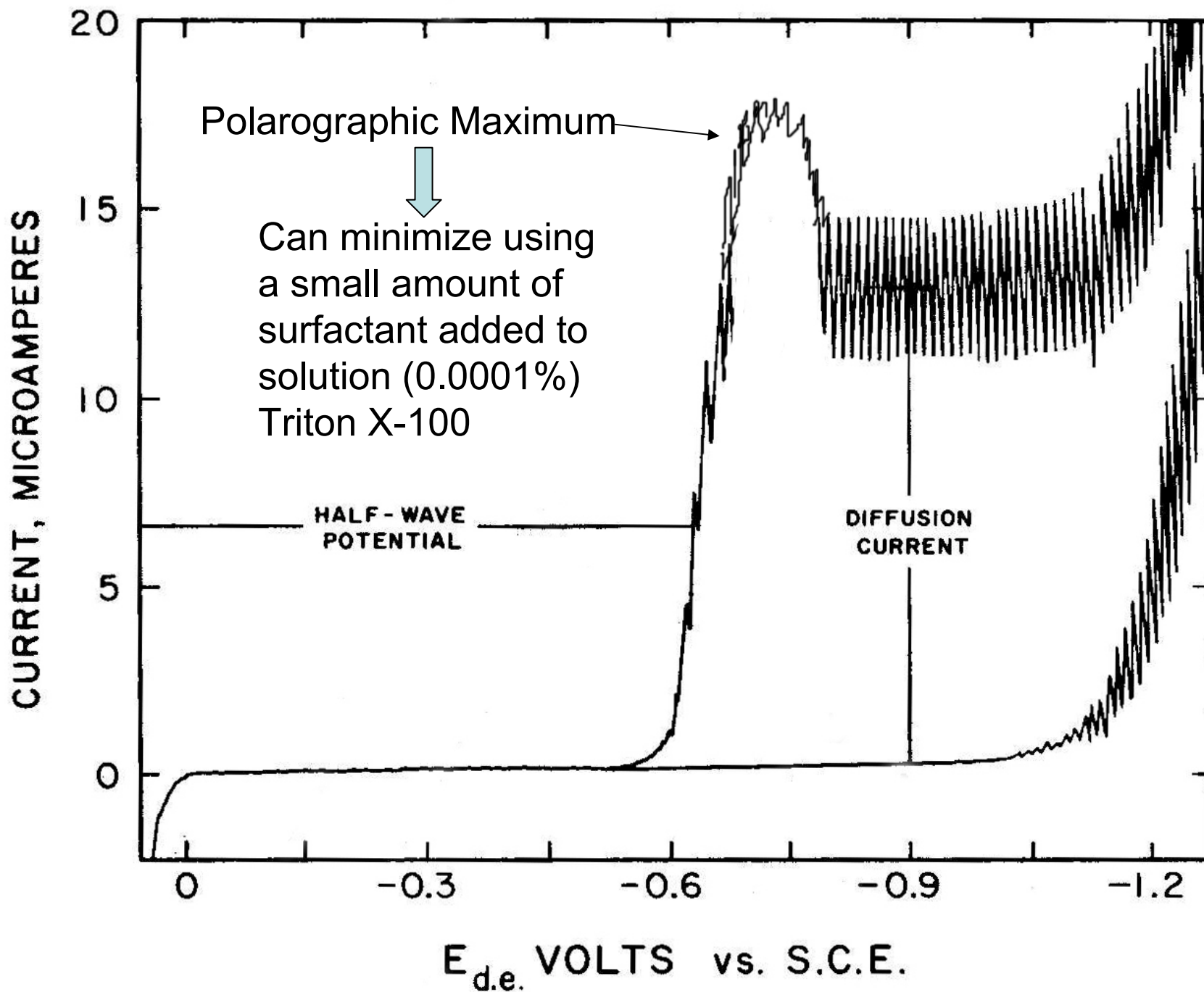
# Operational Aspects of Polarography

- 1) Oxygen dissolved in solutions can be reduced and cause an oxygen wave



Routinely bubble an inert gas through solution to displace  $\text{O}_2$ , usually  $\text{N}_2$ , He, Ar

- 2) Polarographic maxima (= interfering peaks) sometimes form in polarogram due to convection currents resulting from drop expansion and dislodging





## Summary of DC Polarography

- Polarography is good for many metals
- Works well even at high salt concentrations
- Applicable to many organic functional groups
- Can be used to study metal complexation
- In practice DC Polarography has been replaced by other polarographic variations
- Particularly variations that handle capacitive current better
- Working range  $10^{-3}$  M to  $10^{-5}$  M
- Precision 1 – 2 %

## Summary of DC Polarography (cont.)

- Can do 3 or 4 metals simultaneously if concentrations are compatible
- Still difficult to measure one species in the presence of a large excess of a second species because waves don't stack well
- Can have problems with complex matrices like wastewater, sludge, biological samples that foul the electrode
- DC polarography is a fundamental technique which has many variations and improvements

# Calibration Methods for Electrochemistry

1) Absolute Calibration – use theoretical relationship for current to calculate conc.

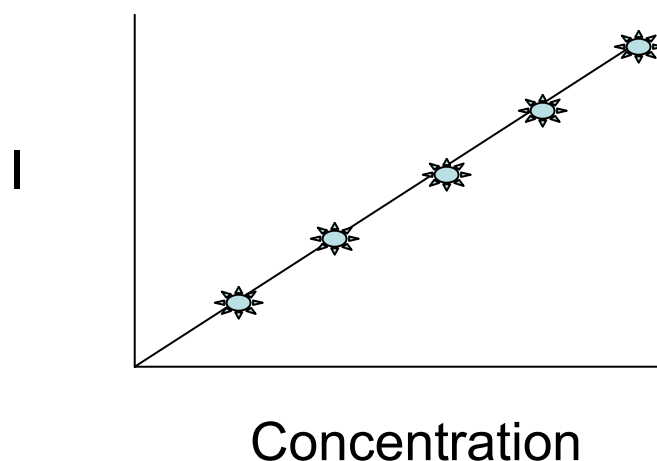
$$\text{e.g., } I = 708 n D^{1/2} m^{2/3} t^{2/3} C$$

Measure  $m$  and  $t$  and look up  $n$  and  $D$

Solve Ilkovic equation for  $C$

This is not the most reliable method because it requires very accurately measured values of  $m$  &  $t$  as well as reliable info on  $D$  which varies with solution composition, also  $I_{\text{cap}}$  is problem

## 2) Calibration curve – construct plot of current vs. concentration for several standard solutions



Each point represents a separate solution introduced into the electrochemical cell and analyzed

Calibration curves are sometimes used in electrochemistry for calibration, but they are not the most common method

3) Internal Standard (Pilot Ion) – add a more easily reduced species to both the unknown sample & the standard solution

$$\frac{I_{\text{unk}}}{I_{\text{pilot}}} = \frac{\cancel{708 n D^{1/2} (m^{2/3} t^{2/3})} C_{\text{unk}}}{\cancel{708 n D^{1/2} (m^{2/3} t^{2/3})} C_{\text{pilot}}}$$

Response ratio of ion in unknown sample to pilot ion is equal to ratio of concentrations  
Compensates for variations in solution matrix

- 4) Standard Additions – spike a small volume ( $V_s$ ) of standard solution of known concentration ( $C_s$ ) into original volume of sample ( $V_o$ ) measuring first the current for the original sample ( $I_o$ ), then the current for the spiked sample ( $I_s$ )

$$C_u = \frac{I_o V_s C_s}{(I_s V_s) + (I_s - I_o) V_o}$$

where  $C_u$  is concentration of the unknown