

# Chemical Oceanography

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# Cl<sup>-</sup> has been Described as the Ultimate Conservative Tracer

- # Highest concentration in SW
- # Not biologically depleted
- # Not chemically limited
- # One of the longest Residence Times ( $1 \times 10^8$  yr)
- # Generally pretty boring
- # Oceanographers have used Cl<sup>-</sup> concentration to define the concentration of ocean water masses
- # Concept of Chlorinity = Cl<sup>-</sup> (+ Br<sup>-</sup>) content of SW

# Chlorinity (Cl)

- # Amount of  $\text{Cl}^-$ ,  $\text{Br}^-$  and  $\text{I}^-$  in grams, contained in 1 kg of seawater assuming  $\text{Br}^-$  and  $\text{I}^-$  replaced by  $\text{Cl}^-$
- # The number giving chlorinity in per mille of a seawater sample is by definition identical with the number giving the mass with unit gram of atomic weight silver just necessary to precipitate the halogens in 0.3285234 kg of the seawater sample (Jacobsen & Knudsen, 1940).

# Salinity (S)

- # Historical Definition - Total amount of solid material, in grams, contained in 1 kg of seawater when all carbonate has been converted to oxide, the bromide and iodine replaced by chlorine, and all organic matter completely oxidized
- # Practical Salinity Scale – Conductivity of seawater compared to KCl at 32.4356 g/kg (15 °C)

# Practical Salinity Scale (PSS 1978)

- #  $R_T = C(\text{sample})/C(\text{std seawater})$
- #  $C$  = conductivity at specified temp. & pressure
- # Formerly used units of parts per thousand (‰)
- # Unitless since based on a ratio
- # Often see PSU or practical salinity units
- # Calibrate instrumentation with SW standard

# Absolute Salinity ( $S_R$ )

## # SCOR/IAPSO

Scientific Committee on Oceanic Research

International Agency for the Physical Sciences of the Oceans

- WG 127 Thermodynamics & Equations of State of SW
- Density, Enthalpy, Entropy, Potential temp., Freezing temp.,
- Dissolved oxygen, Alkalinity,  $\text{TCO}_2$ , Ca, Silica

$$S_R = (35.16504 / 35) \text{ g/kg} \times S$$

# Precision in Salinity by Various Methods

1) Composition Studies of major components	$\pm 0.01$
2) Evaporation to dryness	$\pm 0.01$
3) Chlorinity	$\pm 0.002$
4) Sound Speeds	$\pm 0.03$
5) Density	$\pm 0.004$
6) Conductivity	$\pm 0.001$
7) Refractive index	$\pm 0.05$
8) Inductive Salinometer	

# Relationship between Salinity & Chlorinity

$$S = 1.80655 Cl$$

See Website for Salinity Handouts 1 - 4

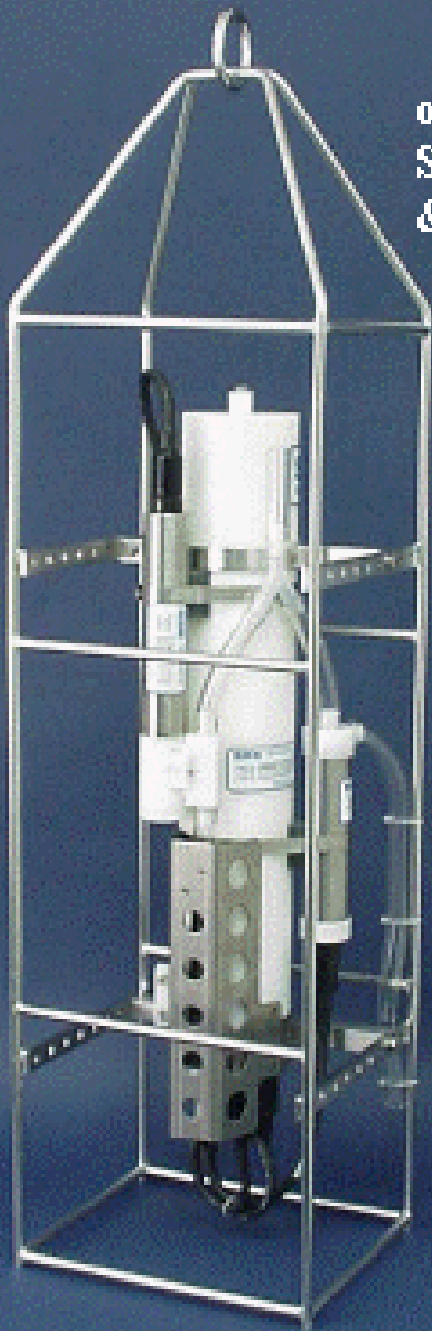


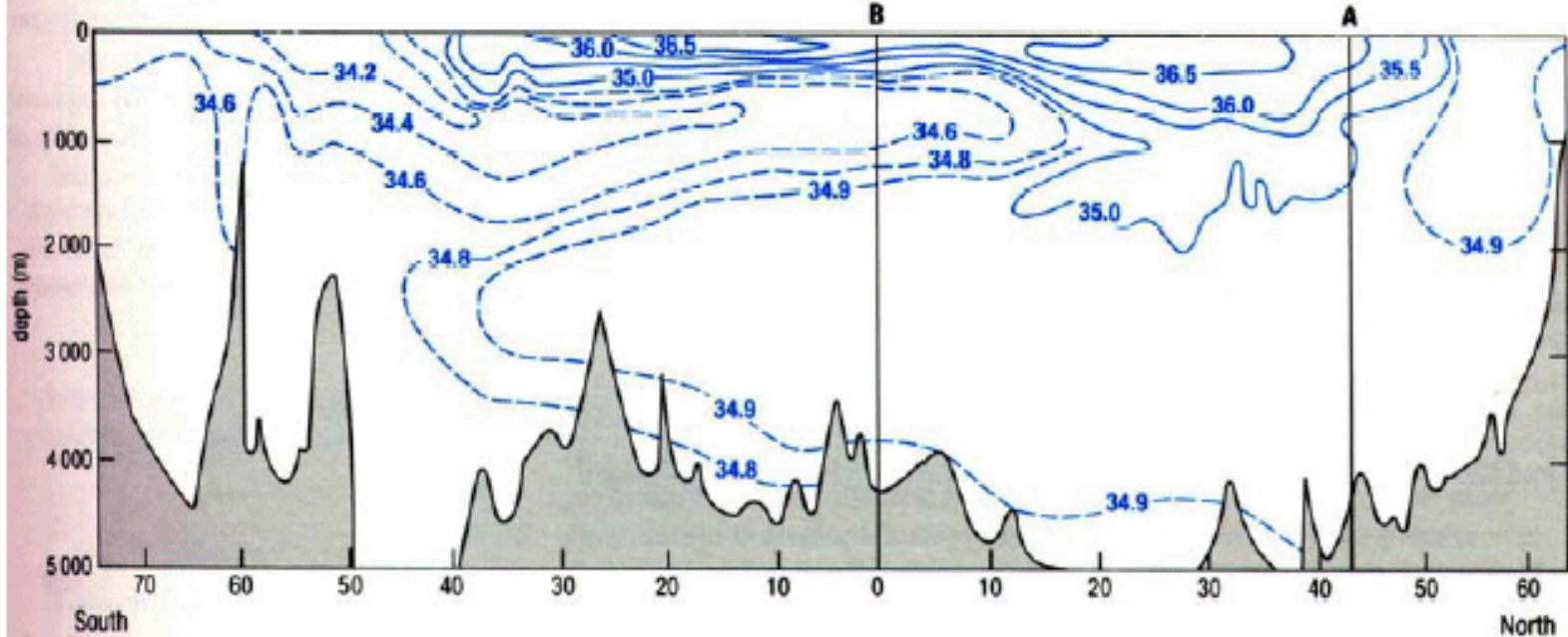
# CTDs

Shown with  
optional cage,  
SBE 5T pump,  
& SBE 43 DO  
sensor

[www.seabird.com](http://www.seabird.com)

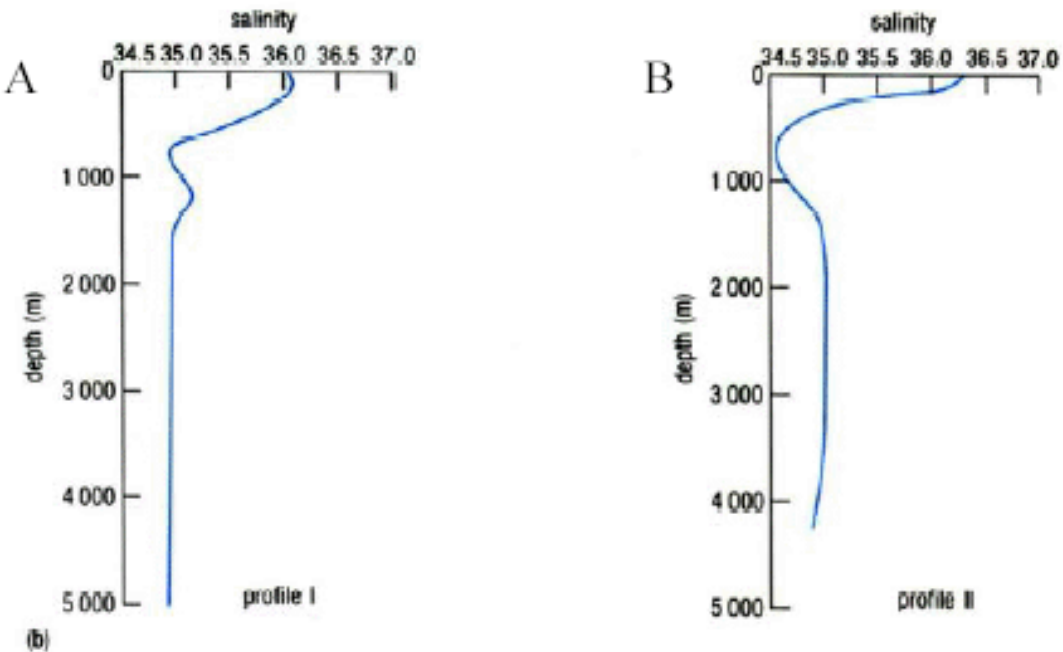
[www.valeport.co.uk](http://www.valeport.co.uk)





(a)

A vertical section showing the mean distribution of salinity in the western Atlantic Ocean, and two salinity depth profiles corresponding to locations A and B.

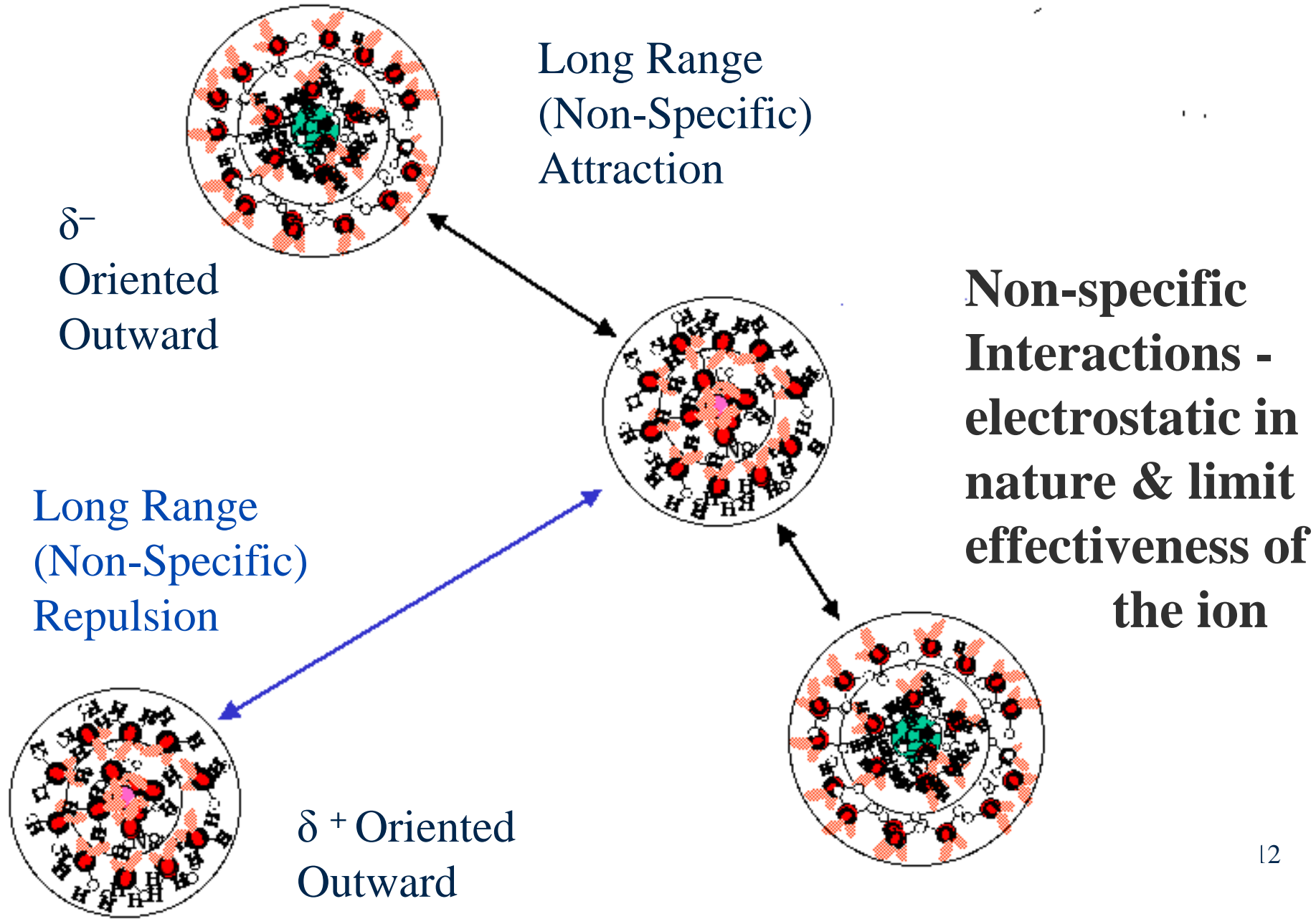


(b)

# Ion-Ion Interactions

- # Many types – non-specific, bonding, contact, solvent shared, solvent separated
- # Non-specific i.e., long range interactions and the concepts of ionic strength, activity & activity coefficient
- # Specific interactions e.g. complexation, ion pairing (strong or weak)
- # Millero cartoons

<http://fig.cox.miami.edu/~lfarmer/MSC215/MSC215.HTM>



# Non-specific Interaction

- # Electrostatic in nature
- # Limits effectiveness of ion in solution
- # Use concept of **activity** to quantify effect

(accounting for non-ideal behavior in solution)

$$a_i = [i]_F \gamma_F(i)$$

where  $a_i$  = activity of ion  $i$

$[i]_F$  = free ion conc. (m or M)

$\gamma_F(i)$  = activity coefficient

of ion  $I$  ( $\leq 1$ )

In short

$$\boxed{a = [i] \gamma}$$

# Activity of Individual Ions is Influenced by Other Ions

Therefore we must know amount or concentration of all ions

# Ionic Strength of solution

$$I = 0.5 \sum Z^2 m$$

where I = ionic strength

Z = charge on ion

m = molal conc.

$$a = [i] \gamma$$

# Activity Coefficient ( $\gamma$ )

# Debye-Huckel Theory is starting point

(Primarily for very low ionic strength)

$$\ln \gamma_{\pm} = - A Z^2 I^{0.5} \quad \text{original D.H.}$$

or

$$\ln \gamma_{\pm} = - S_f I^{0.5} / (1 + A_f a I^{0.5}) \quad \text{extended}$$

Where  $\gamma_{\pm}$  is the mean ion activity coefficient

$S_f$ ,  $A$  &  $A_f$  are constants related to temperature

$I$  is ionic strength &  $a$  is the ion size parameter in  $\text{\AA}$

$Z$  is the charge on the ion

# Activity Coefficient ( $\gamma$ )

## # Guntelberg Approximation

$$\ln \gamma_{\pm} = - A Z^2 [I^{0.5}/(1 + I^{0.5})]$$

Where  $\gamma_{\pm}$  is the mean ion activity coefficient

A is a constant

I is ionic strength

Z is the charge on the ion

Useful for  
 $I \geq 0.1$



# Activity Coefficient ( $\gamma$ )

## # Davies Equation

$$\ln \gamma_{\pm} = - A Z^2 [I^{0.5}/(1 + I^{0.5}) - 0.2 I]$$

Where  $\gamma_{\pm}$  is the mean ion activity coefficient

A is a constant (= 1.17)

I is ionic strength

Z is the charge on the ion

Useful for  
I ~ 0.5

# Activity Coefficient ( $\gamma$ )

## # Bronsted-Guggenheim

$$\ln \gamma_{\pm} = \ln \gamma_{\text{DH}} + \sum_j B_{ij}[j] + \sum_j \sum_k C_{ijk}[j][k] + \dots$$

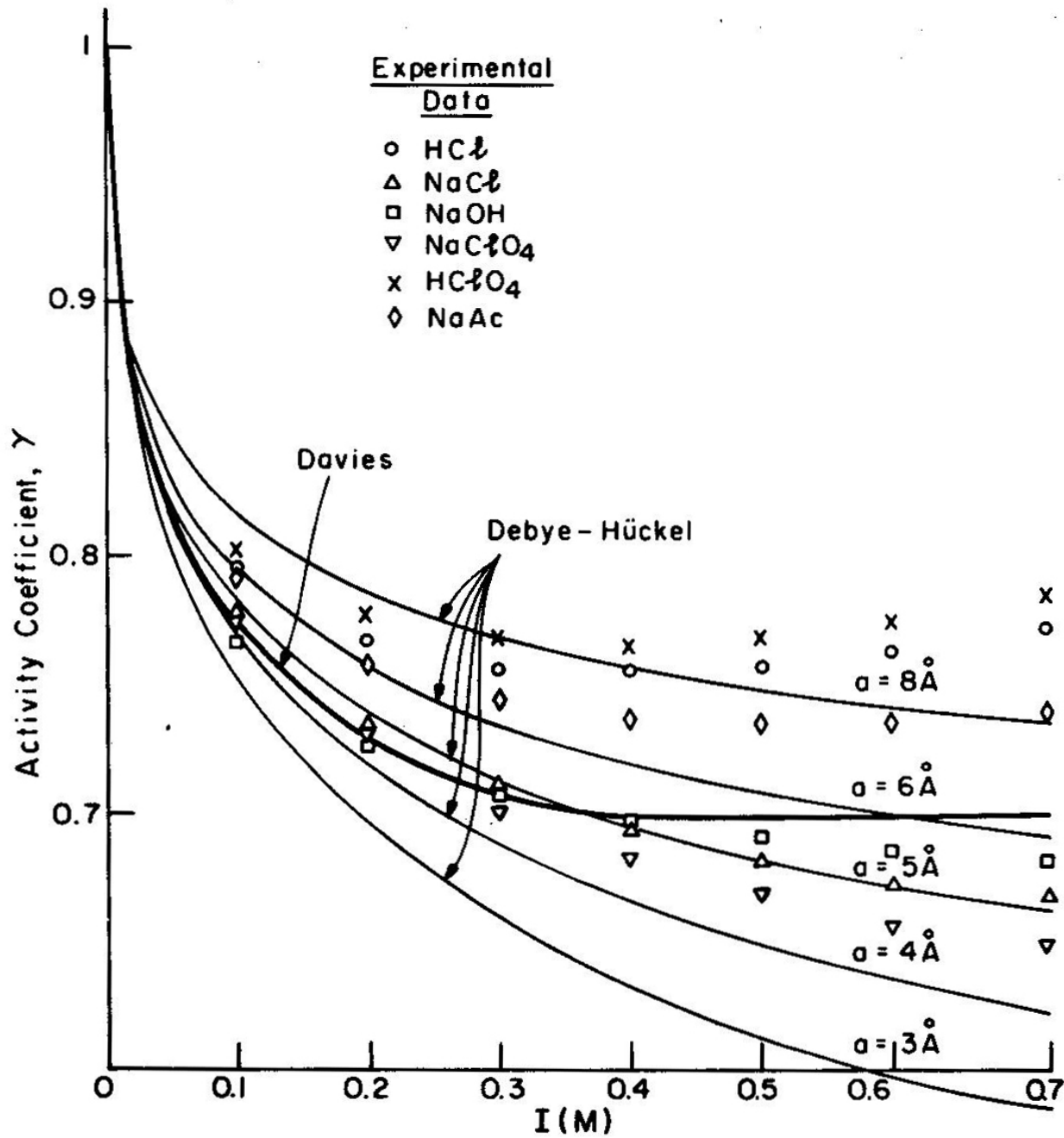
Where  $\gamma_{\pm}$  is the mean ion activity coefficient

$\gamma_{\text{DH}}$  is the  $\gamma$  from Debye-Huckel

$B_{ij}$  is a virial coefficient for ion pairs

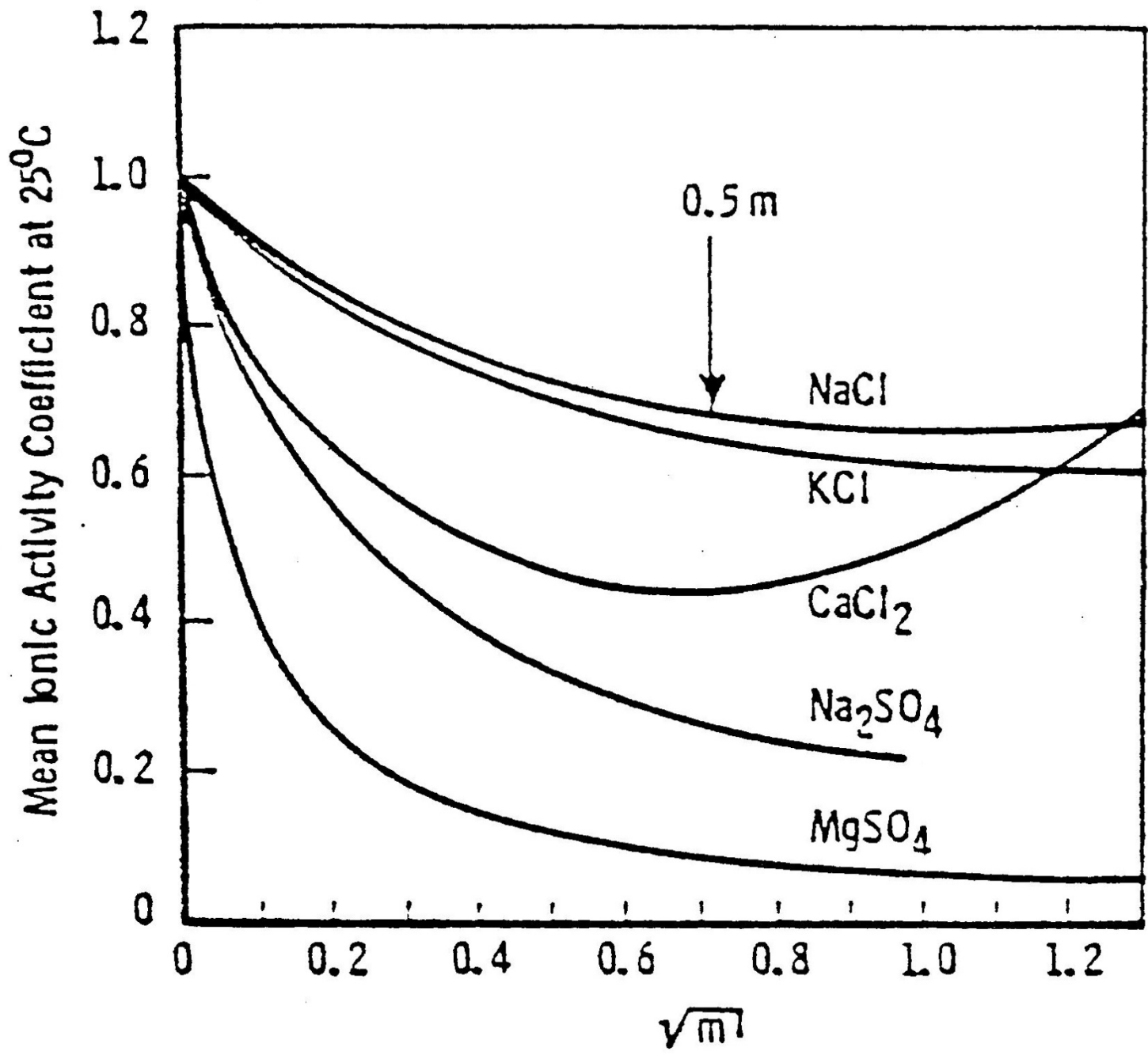
$C_{ijk}$  is a virial coefficient for three ions

Useful at  
any I

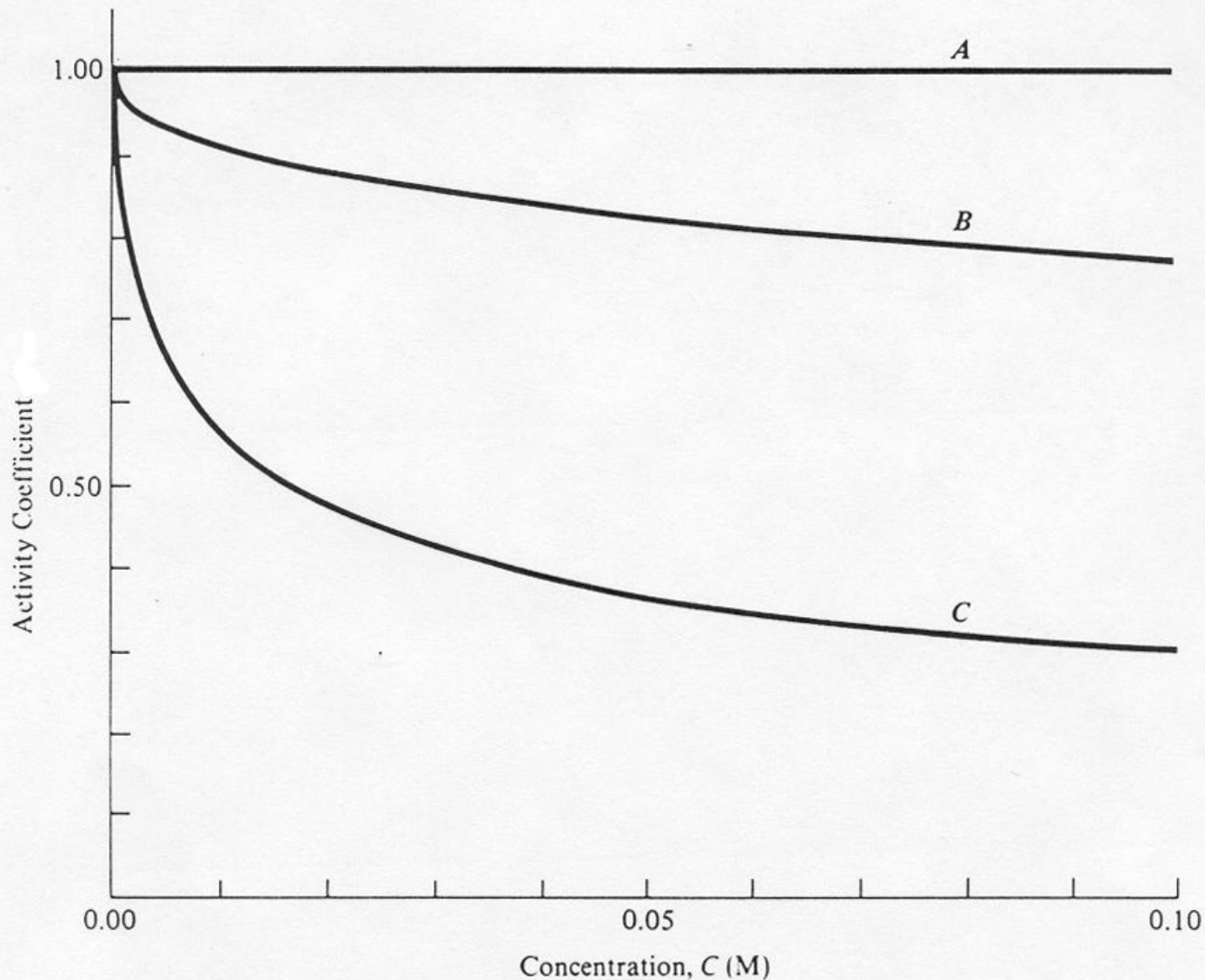


Comparison of  
Davies Equation  
& Extended  
Debye-Huckel  
for monovalent  
Ions

Morel & Hering 1993



Activity Coefficient vs. Conc., Monovalent & Divalent Systems



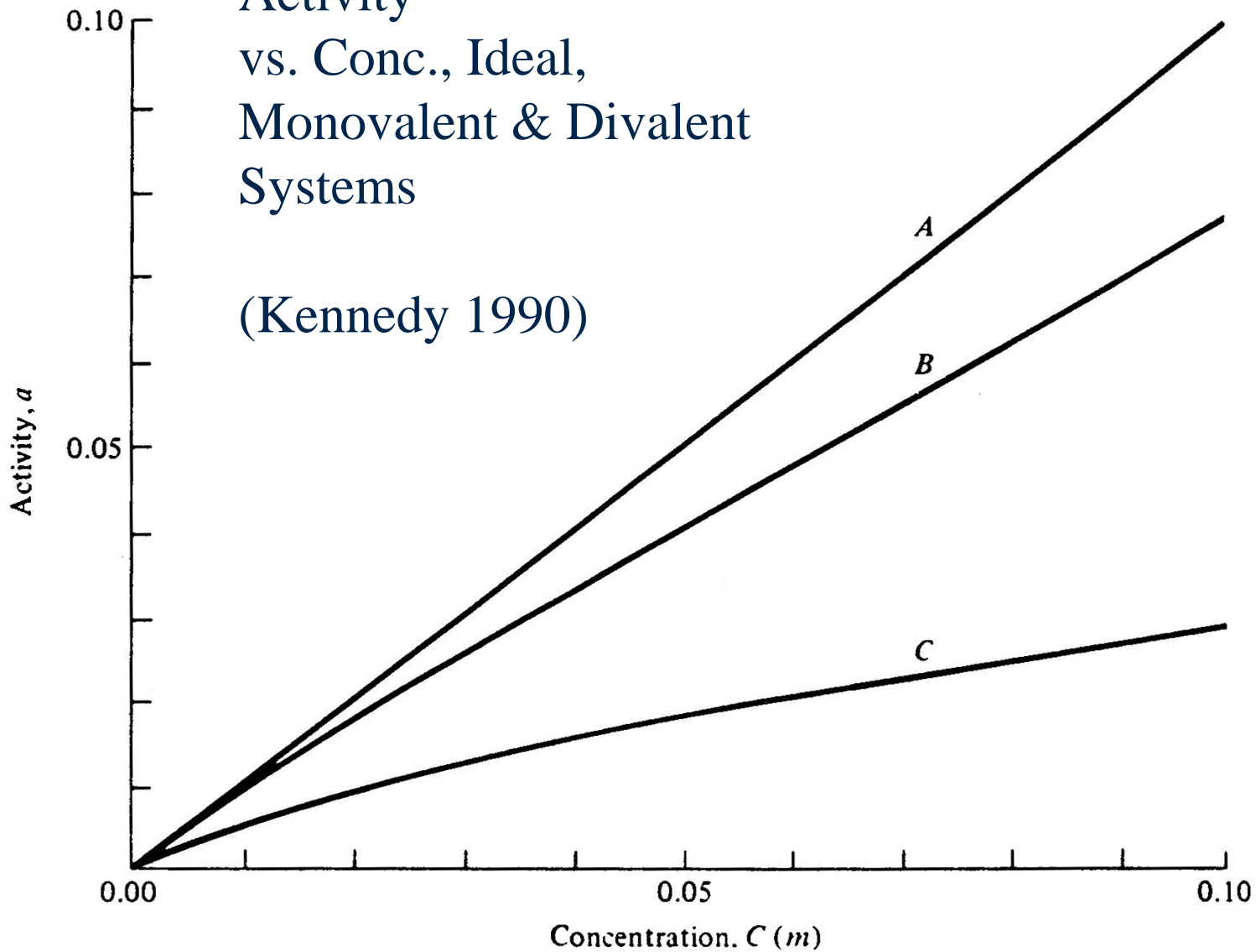
## Activity Coefficient vs. Conc., Ideal, Monovalent & Divalent Systems

(Kennedy 1990)

**FIGURE 4-2** Activity coefficient as a function of concentration in the solution: (A) ideal solution for which  $\gamma = 1.00$  at all concentrations; (B) activity coefficient for  $\text{Na}^+$  in NaCl solutions; (C) activity coefficient for  $\text{Ca}^{2+}$  in  $\text{CaCl}_2$  solution.

# Activity vs. Conc., Ideal, Monovalent & Divalent Systems

(Kennedy 1990)



**FIGURE 4-1** Activity as a function of concentration: (A) ideal solution for which  $a = C$ ; (B)  $\text{Na}^+$  activity in  $\text{NaCl}$ ; (C)  $\text{Ca}^{2+}$  activity in  $\text{CaCl}_2$ .

# Putting It All Together

# Calculate ionic strength from concentrations of all ions in solution using  $I = 0.5 \sum Z^2 m$

# Use Davies Equation to calculate activity coefficients for all ions of interest ( $Z = 1, 2, 3, 4$ )

$$\ln \gamma_{\pm} = - A Z^2 [I^{0.5}/(1 + I^{0.5}) - 0.2 I]$$

# Calculate activity of the ions of interest using their concentrations and activity coefficients

$$a = [i] \gamma$$

# Example: pH of SW

pH is defined as the negative  
logarithm of the hydrogen ion activity

$$\text{pH} = -\log a_{\text{H}^+}$$

At a typical ionic strength of seawater  $I = 0.7$

From Davies Equation  $\text{H}^+$  activity coefficient

$$\ln \gamma = -A Z^2 [I^{0.5}/(1 + I^{0.5}) - 0.2 I]$$

If  $Z = 1$  &  $A = 1.17$  then  $\ln \gamma = -0.37$  &  $\gamma = 0.69$

(using 0.3 in the Davies Equation gives  $\gamma = 0.75$ )



# Example: pH (cont.)

If a typical seawater pH is 8.2

Then  $H^+$  activity is  $1 \times 10^{-8.2}$  or  $6.31 \times 10^{-9} M$

From  $a = [i]\gamma$  or  $a_{H^+} = [H^+]\gamma_{H^+}$  & calculated  $\gamma = 0.69$

$$6.31 \times 10^{-9} M = [H^+] \times 0.69$$

$$[H^+] = 9.14 \times 10^{-9} M$$

Activity of  $H^+$  is 31% lower than it's concentration

Effectiveness of  $H^+$  is 31% lower due to crowding

This phenomenon is greater for divalent ions