

## MARGINAL SEMI-ENCLOSED SEAS AND BASINS

I. Smaller adjacent seas may be used as convenient models for various changes which occur in the open ocean.

II. Isolation: an aid in studying environmental budgets.

1. Isolated basins are easier to study since areas of inflow and outflow are limited.

2. Two types of cases:

a. Conservative: Local change = diffusion - advection

b. Nonconservative: Local change = diffusion - advection + biological effect + geological effect

*Local change* - change in material (concentration) with time averaged over a volume of water which is centered about a fixed point in space.

*Diffusion* - the sum of material added or subtracted from the volume due to diffusive transport processes.

*Advection* - sum of material carried in and out of the volume by currents.

*Biological effect* - change over the volume due to in situ biological processes which remove or liberate materials from or to the soluble state.

*Geological effect* - change over the volume due to geological processes which remove or liberate materials from or to the soluble state.

3. If a steady state condition exists, change of water and salt is zero over a long time period.

$$T_o + E = P + R + T_i \quad (1)$$

and

$$T_o \times S_o = T_i \times S_i \quad (2)$$

$T_o$  = average volume of water transported to the open sea.

$E$  = average volume of water removed by evaporation.

$P$  = average volume of water added by precipitation.

$R$  = average volume of river runoff.

$S_o$  = average salinity of outflowing water.

$S_i$  = average salinity of the inflowing water.

4. If we assume that  $R$  is small, relative to  $P$  and  $E$ , it can be combined with  $P$  to yield  $P'$  which is the total average contribution of freshwater to the system. It can be shown, by combining equations (1) and (2) above, that

$$T_o = \frac{S_i(E-P')}{S_o-S_i} \quad \text{and} \quad T_i = \frac{S_o(E-P')}{S_o-S_i}$$

5. If  $P' > E$

- a.  $E-P'$  is negative. Fresh water is removed by  $T_o$ .
- b. Since  $T_o$  is positive,  $S_o-S_i$  must be negative. Therefore,  $S_i > S_o$ .
- c. If salinity alone determines density, flow at entrance to sea is seaward at the surface and inward at depth.
- d.  $T_o > T_i$  since  $T_o = T_i(S_i/S_o)$ .

6. If  $E > P'$

- a.  $T_i > T_o$  and  $S_o > S_i$ .
- b.  $T_o$  water more dense than  $T_i$  water so outflow occurs at depth and inflow occurs on the surface.

### III. The classification of semi-isolated seas and coastal embayments.

1. Factors affects seas

- a.  $E$  and  $P'$
- b. Degree of isolation
- c. Sill depth
- d. Ratio of width to depth
- e. Amount of freshwater runoff
- f. Tidal current strength
- g. In some cases, the wind

2. Factors affecting smaller shallower seas and estuaries

- a.  $E$  and  $P'$
- b. Tidal and freshwater flow
- c. Slope of the bottom
- d. Width, length, and depth of the system

3. Estuary - a semi-isolated coastal body of water that has a free connection with the open sea and within which sea water is measurably diluted with freshwater derived from land drainage.

a. Structural types of estuaries (Geomorphical)

1. Coastal bar-built
2. Drowned river valleys
3. Fjords and fjord-like regions carved by glaciers
4. Fault-formed
5. Stream-cut channels

b. Dynamic types of estuaries

1. Type I salt-wedge estuary - ratio of freshwater runoff flow to tidal volume is large and the ratio of width to depth is small.
2. Type II salt-wedge estuary - tidal flow larger than freshwater flow. Boundary between inflowing and outflowing water is diffuse.
3. Type III salt-wedge estuary - tidal velocities so great that river outflow rate is insignificant. Interface becomes vertical.

IV. The flushing of semi-isolated embayments.

1. The shorter the flushing time, the more rapidly pollutants can be dispersed.

$$\text{Flushing time} = \frac{F(\text{total freshwater volume of estuary})}{R(\text{rate at which freshwater is added})}$$

2. In estuaries with large tidal volumes and moderate freshwater additions,  $T_i \approx T_o$ . In this case:

$$\text{Flushing time} = \frac{V}{T_o} = \frac{V(S_o - S_i)}{S_i(E - P)}$$

where  $V$  = total volume of estuary